

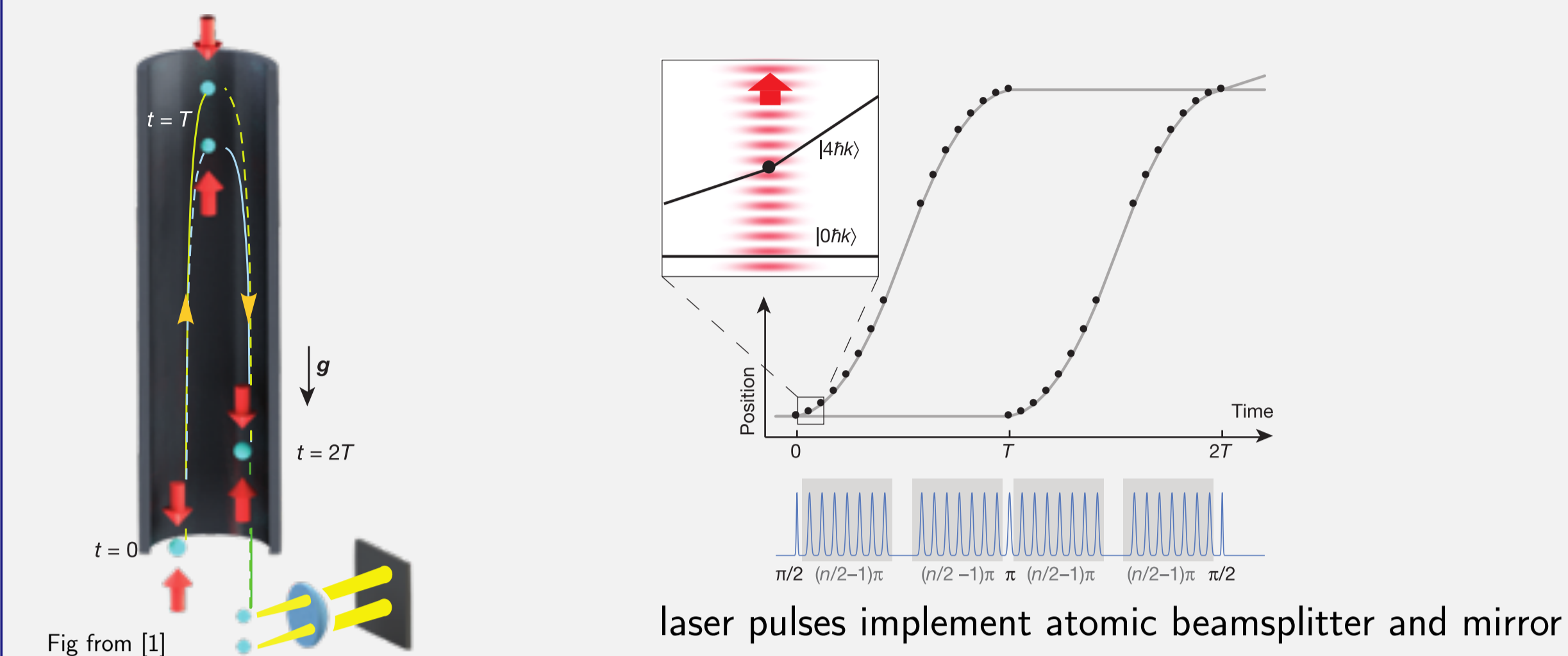
# Optimal Control for Robust Atomic Fountain Interferometry

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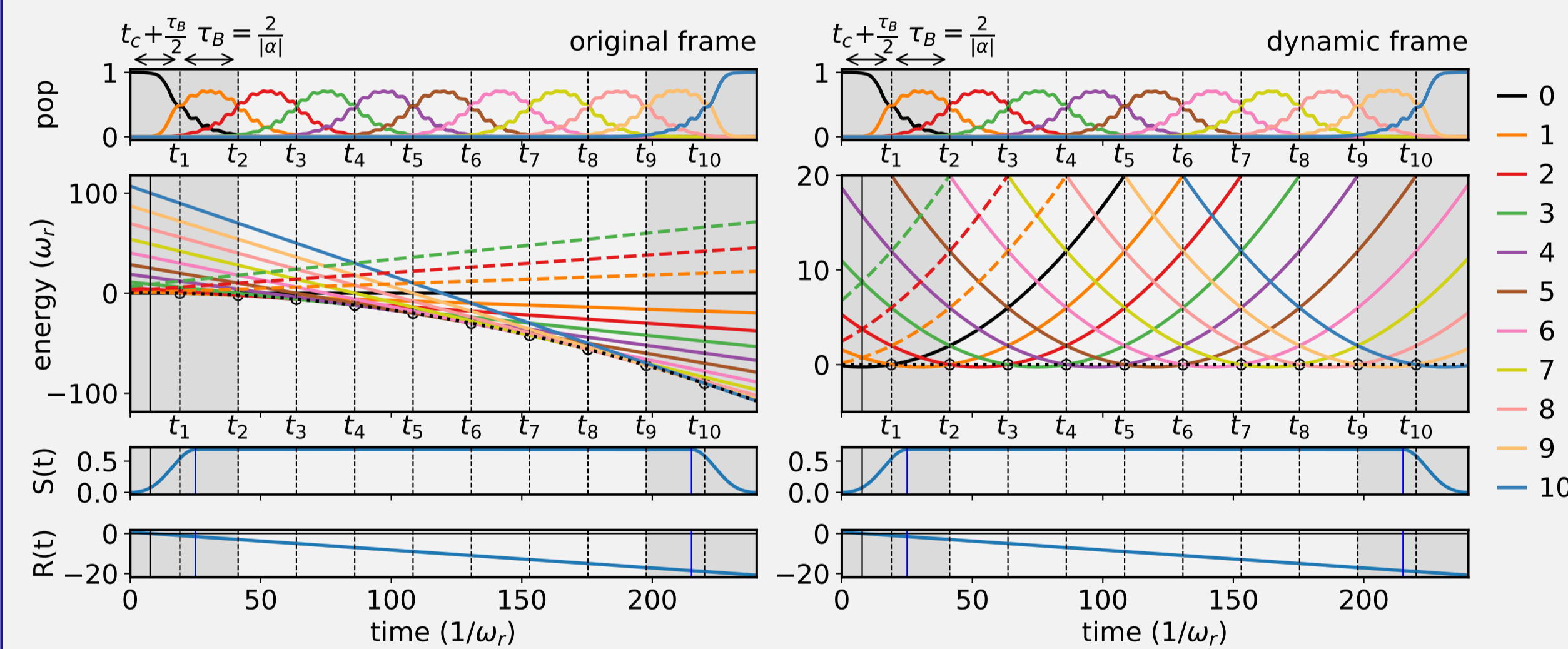
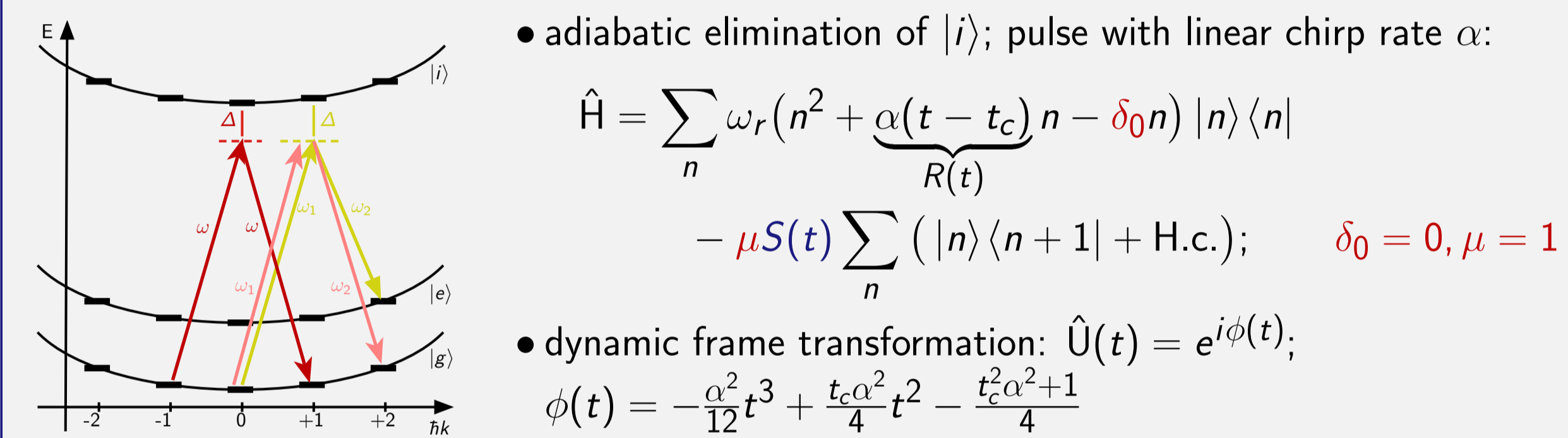


## ① Atomic Fountain Interferometer

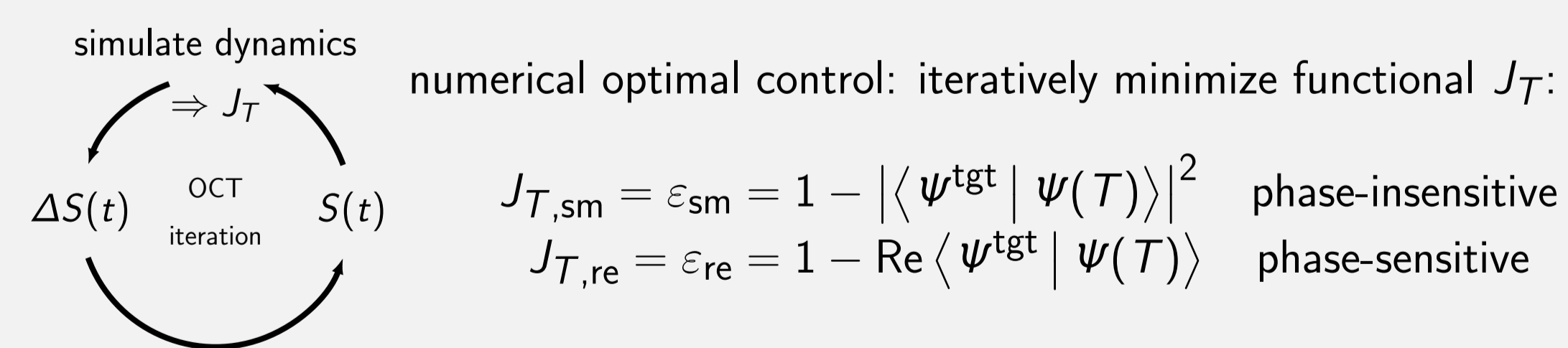


Applications: gravitational sensing, inertial navigation, test of equivalence principle

Momentum space Hamiltonian for linear-chirp Bragg pulses [2]



## ② Optimal Control Methods

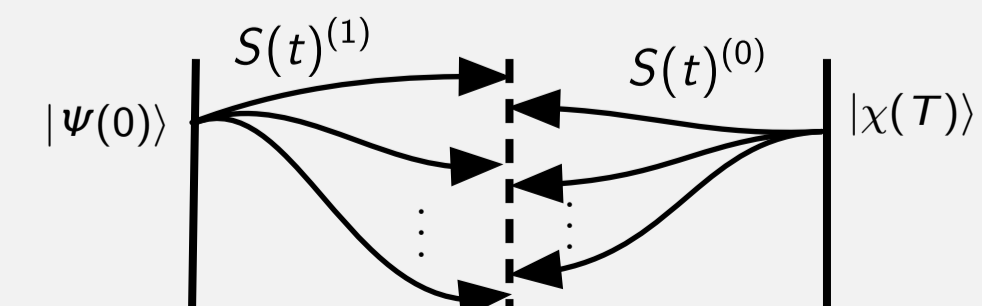


Gradient-based optimization: Krotov's method [3]

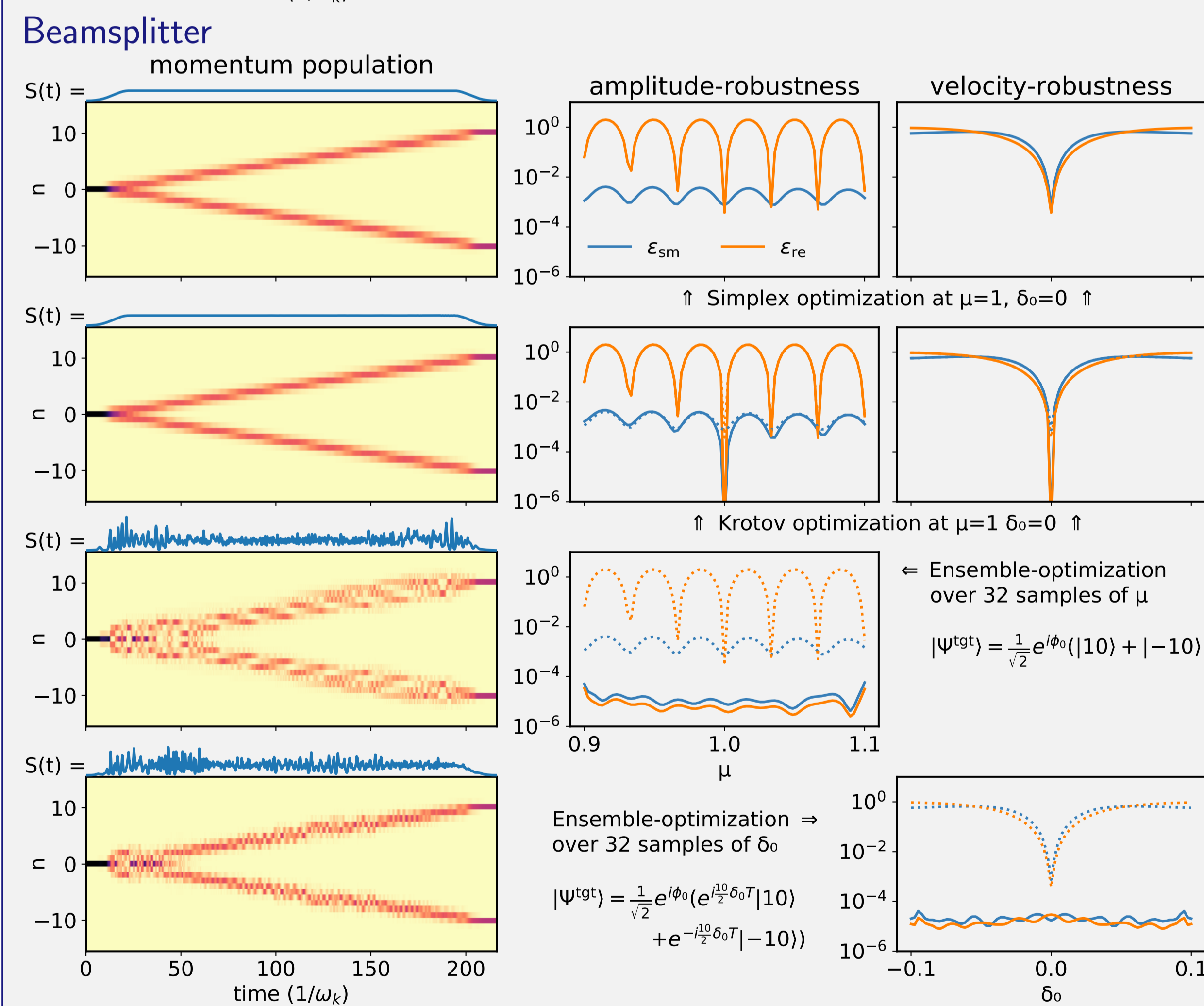
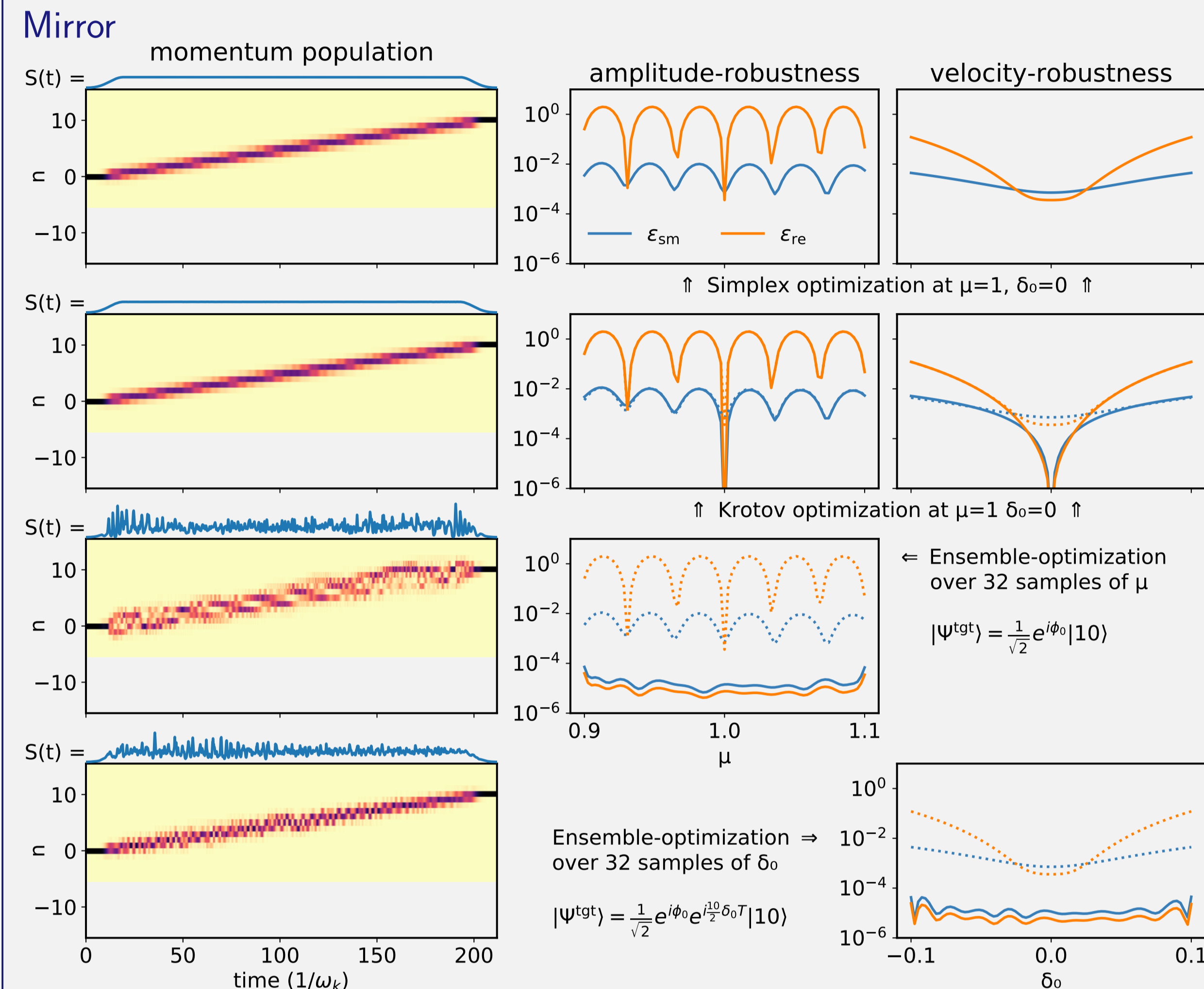
$$\text{update: } \Delta S(t) \propto \text{Im} \left\langle \chi^{(0)}(t) \left| \frac{\partial H}{\partial S(t)} \right| \psi^{(1)}(t) \right\rangle; \quad \chi^{(0)}(T) = \frac{\partial J_T}{\partial \langle \psi^{tgt} |}$$

Ensemble optimization [4]

Optimize over average of ensemble of variations of the Hamiltonian  $(\mu, \delta_0)$



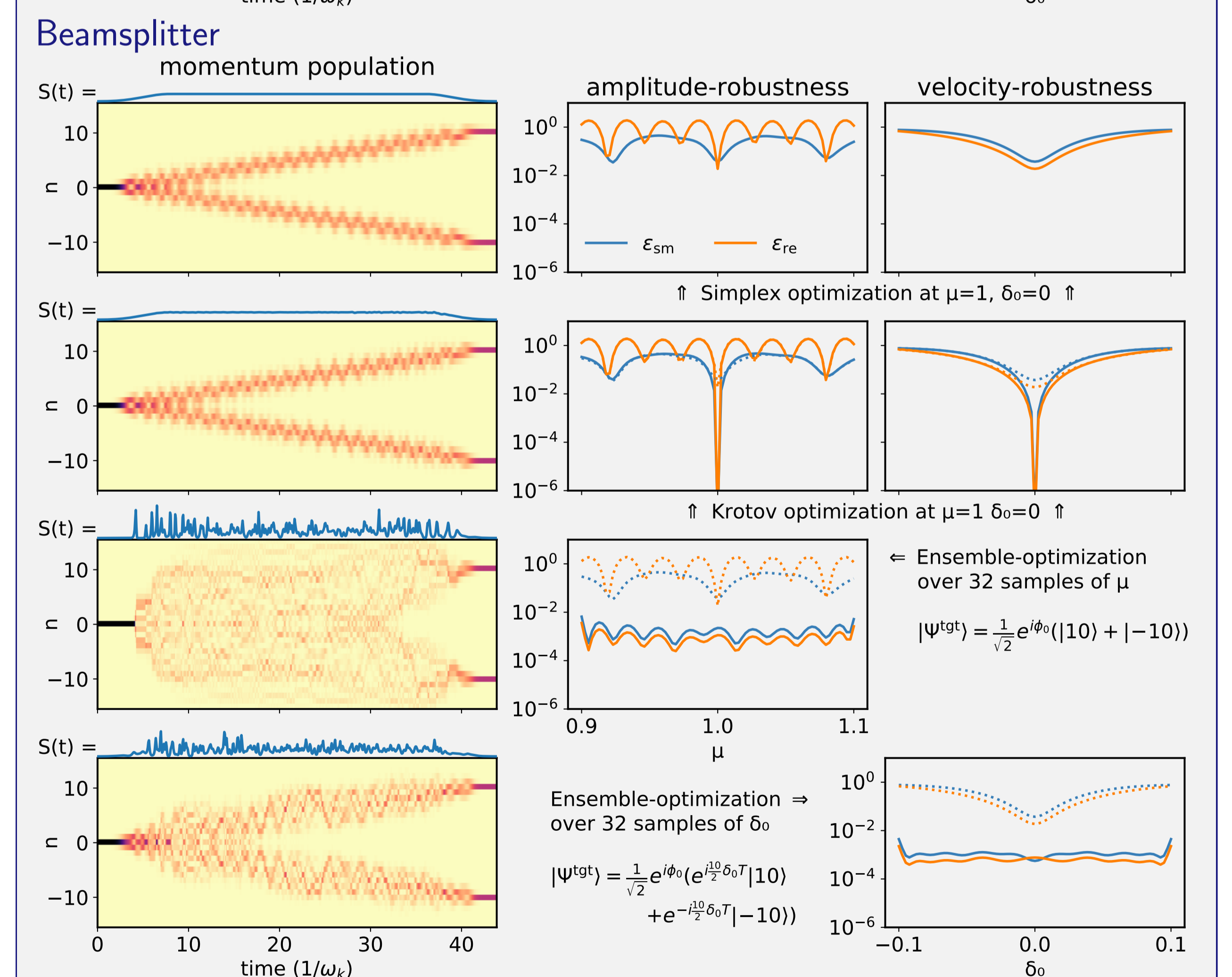
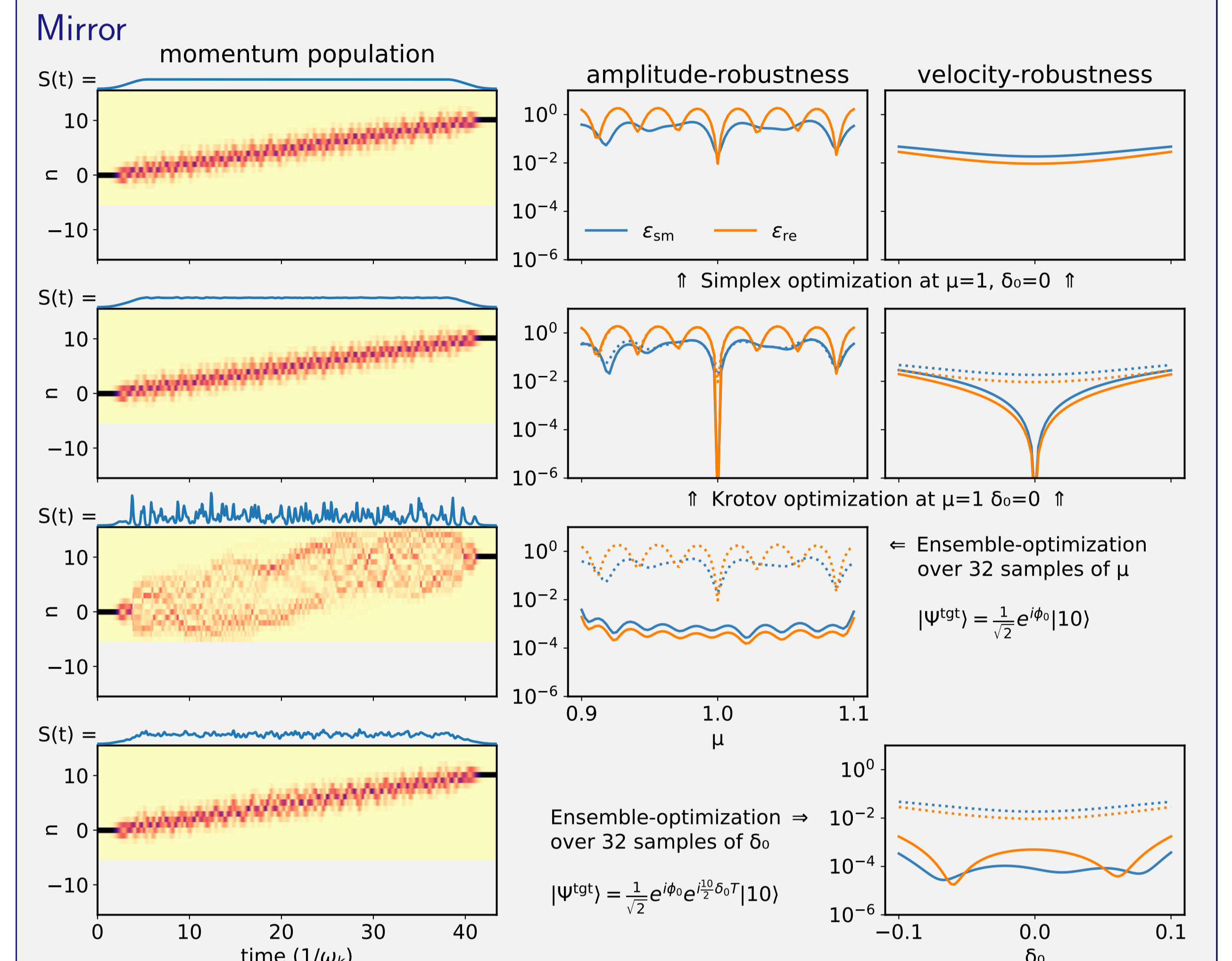
## ③ Near-adiabatic scheme, $\alpha = -0.1$



## References

- [1] Kovachi et al. *Nature* **528**, 530 (2015) [3] Reich et al. *J. Chem. Phys.* **136**, 104103 (2012)  
 [2] Malinovsky, Berman, *Phys. Rev. A* **68**, 023610 (2003) [4] Goerz et al. *Phys. Rev. A* **90**, 032329 (2014)

## ④ Compressed scheme, $\alpha = -0.5$



## Outlook

- Robust pulses for *both* sources of errors  $(\mu, \delta_0)$  simultaneously?
- Pulse modularity: arbitrarily high momentum transfer (dynamic frame transformation)